

# Universal curves in Pseudo-Rapidity Spectra

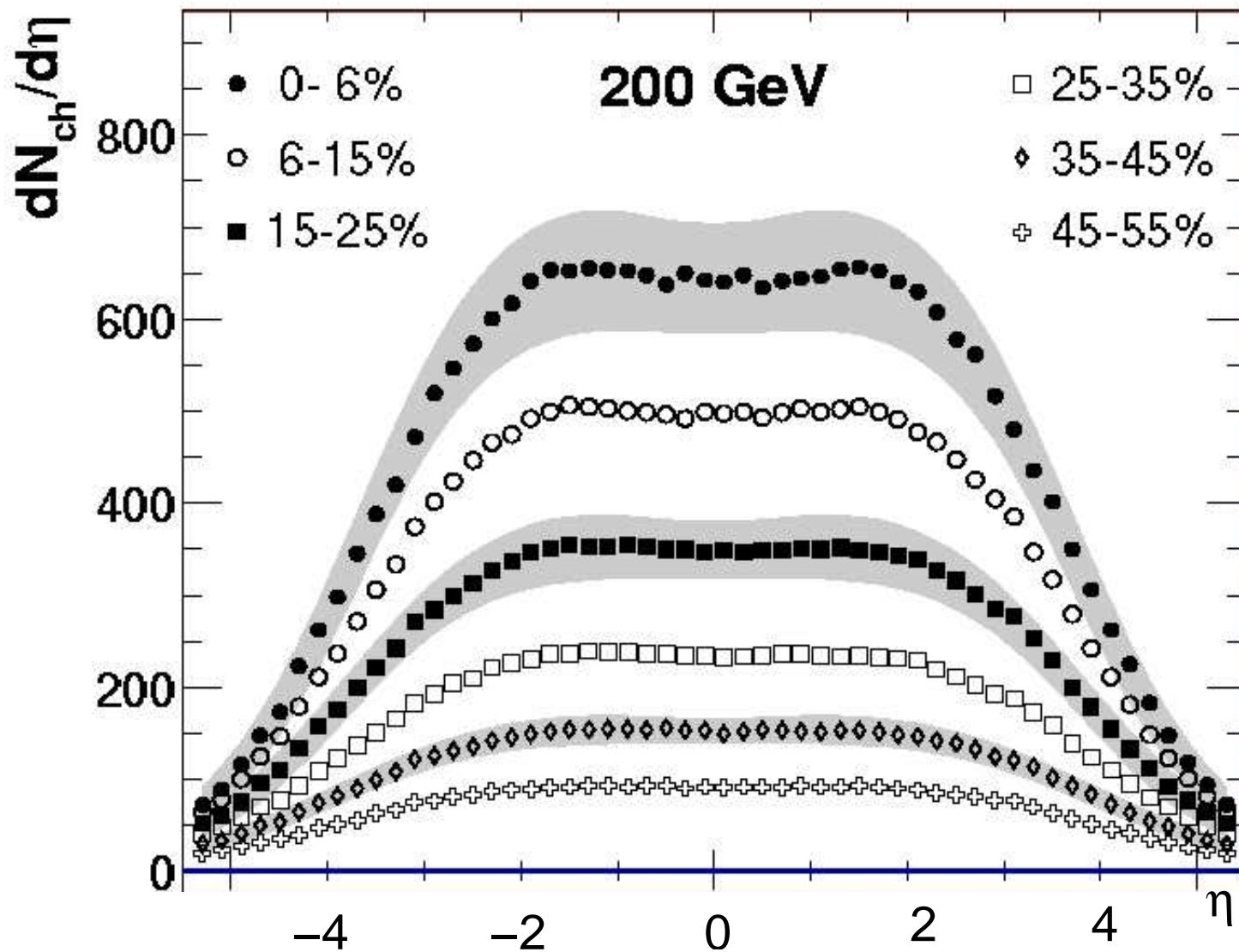
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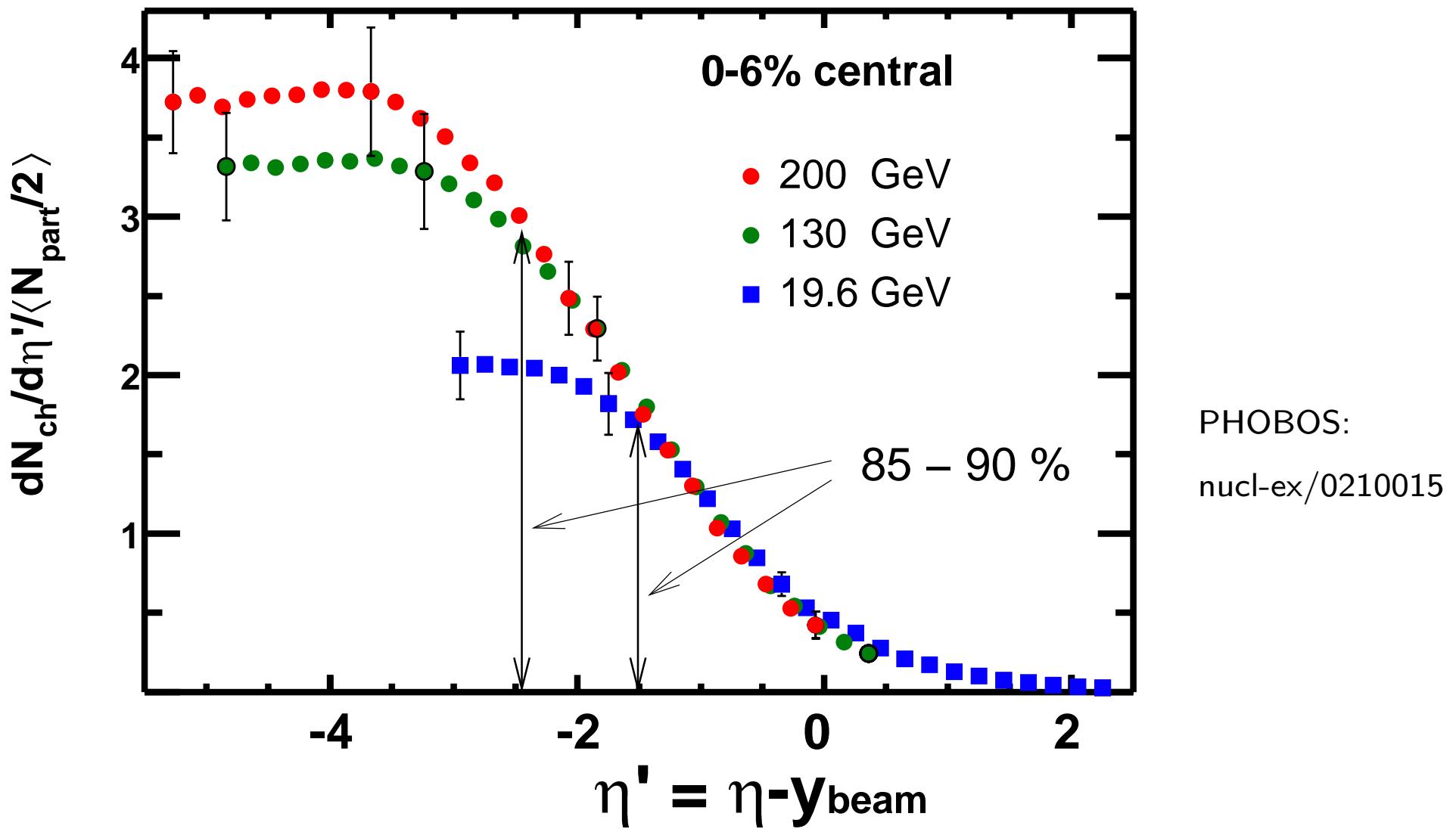
With V. Topor-Pop and M. Bleicher

# What is Central Plateau?

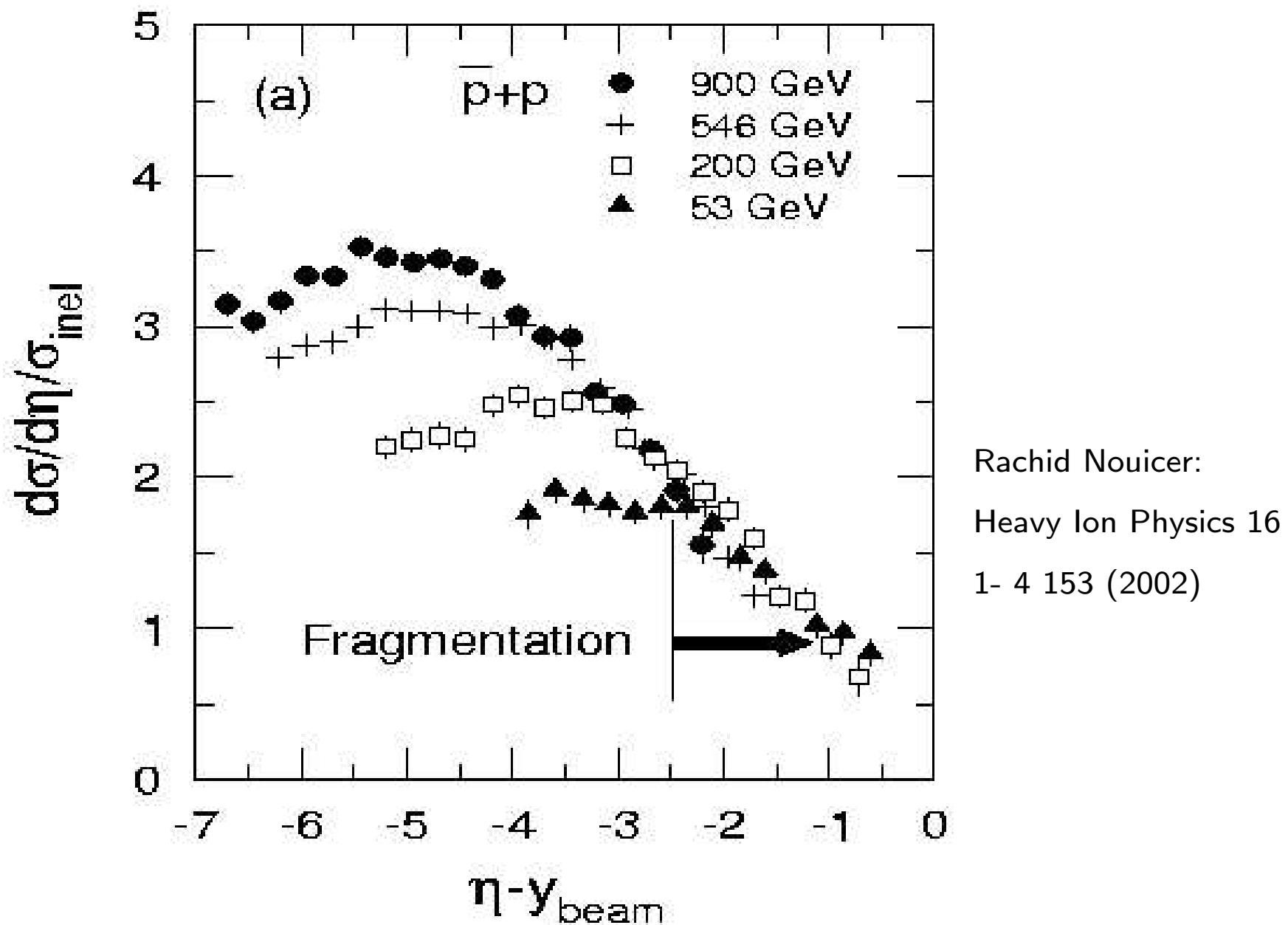


- Dynamics near  $y = 0$  : Independent of  $\eta$

# What is Limiting Fragmentation?



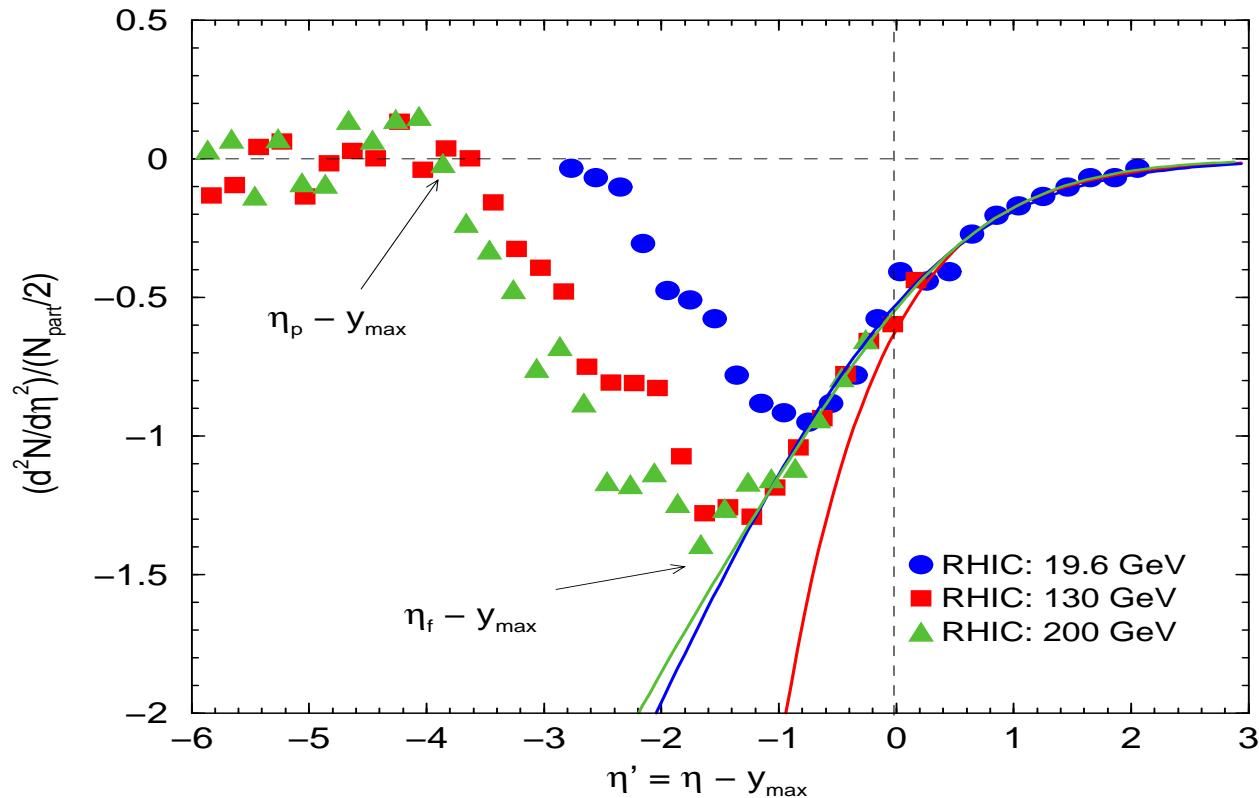
- Dynamics near  $y_{beam}$  : Independent of  $\sqrt{s}$



## Connection?

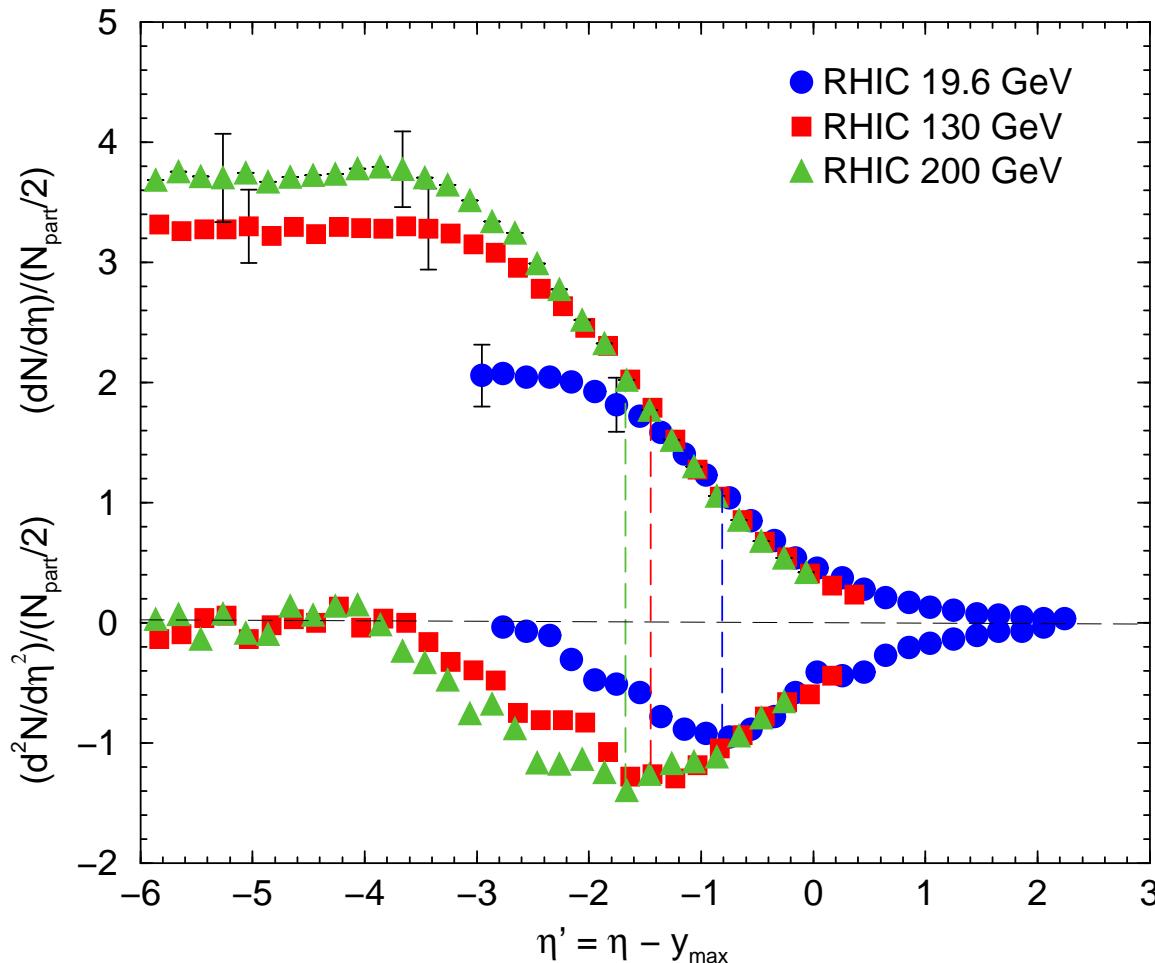
- Tail and Center: Far apart in  $\eta \implies$  Expect independence
- However ... PHOBOS : “Both the 19.6 and 130 GeV data reach 85 – 90 % of their maximum value before deviating significantly (more than 5 %) from the common limiting curve.” [nucl-ex/0210015]
- If this is indeed the case
  - $\implies$  Plateau height is determined by the limiting curve.
  - $\implies$  The whole  $dn/d\eta$  is determined by the limiting curve.
  - $\implies$  The total multiplicity is determined by the limiting curve.
- How much of this is really true? – That's the question.

# What does the data actually say?



- 3 Distinct regions in  $d^2n/d\eta^2$ 
  - \* Limiting fragmentation region –  $\eta_f < \eta$
  - \* Transition region –  $\eta_p < \eta < \eta_f$
  - \* Plateau region –  $0 < \eta < \eta_p$

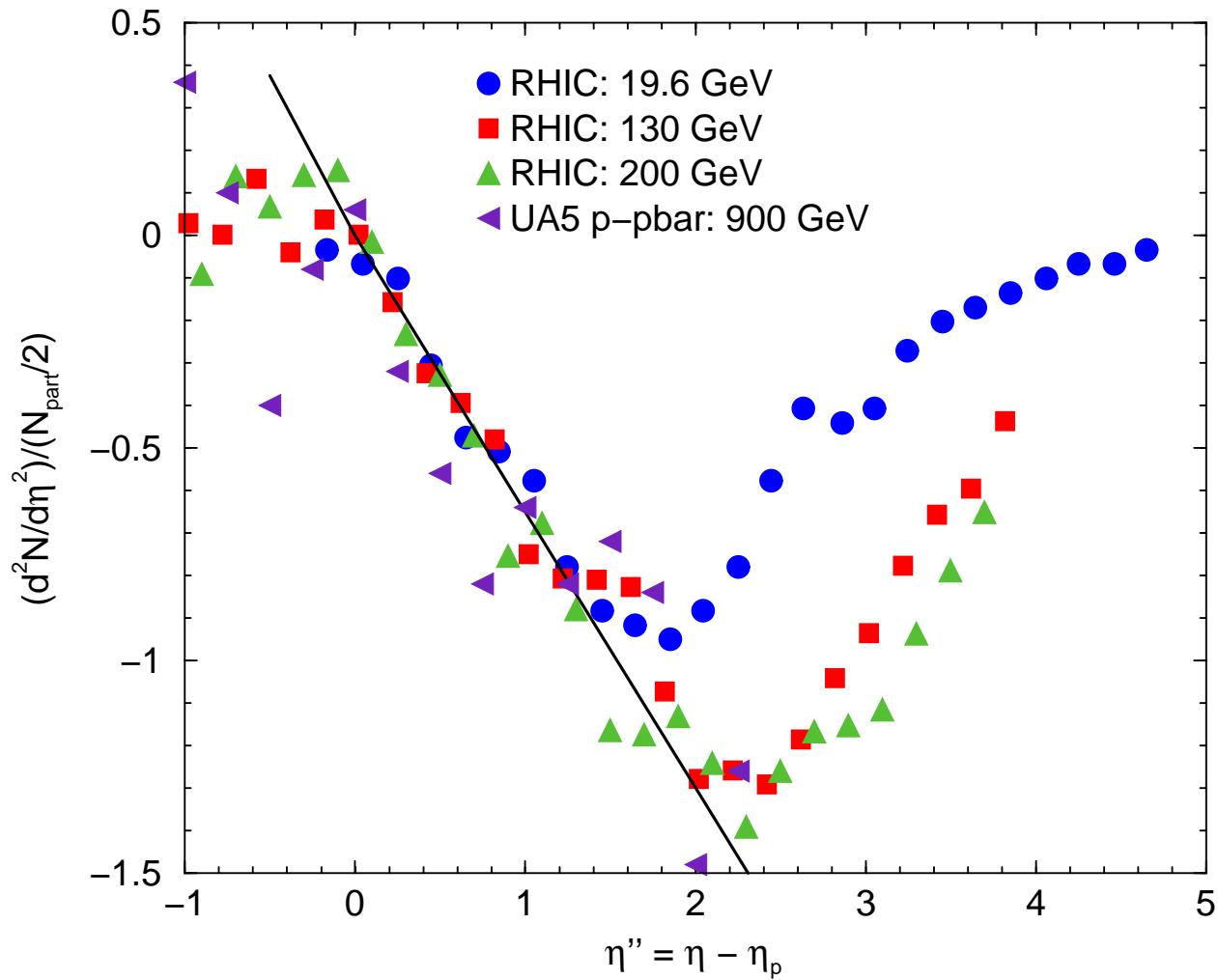
# What does the data actually say?



- Limiting fragmentation region extends only up to 50 %.
- 85 – 90 % seen in  $dn/d\eta$  : Optical Illusion

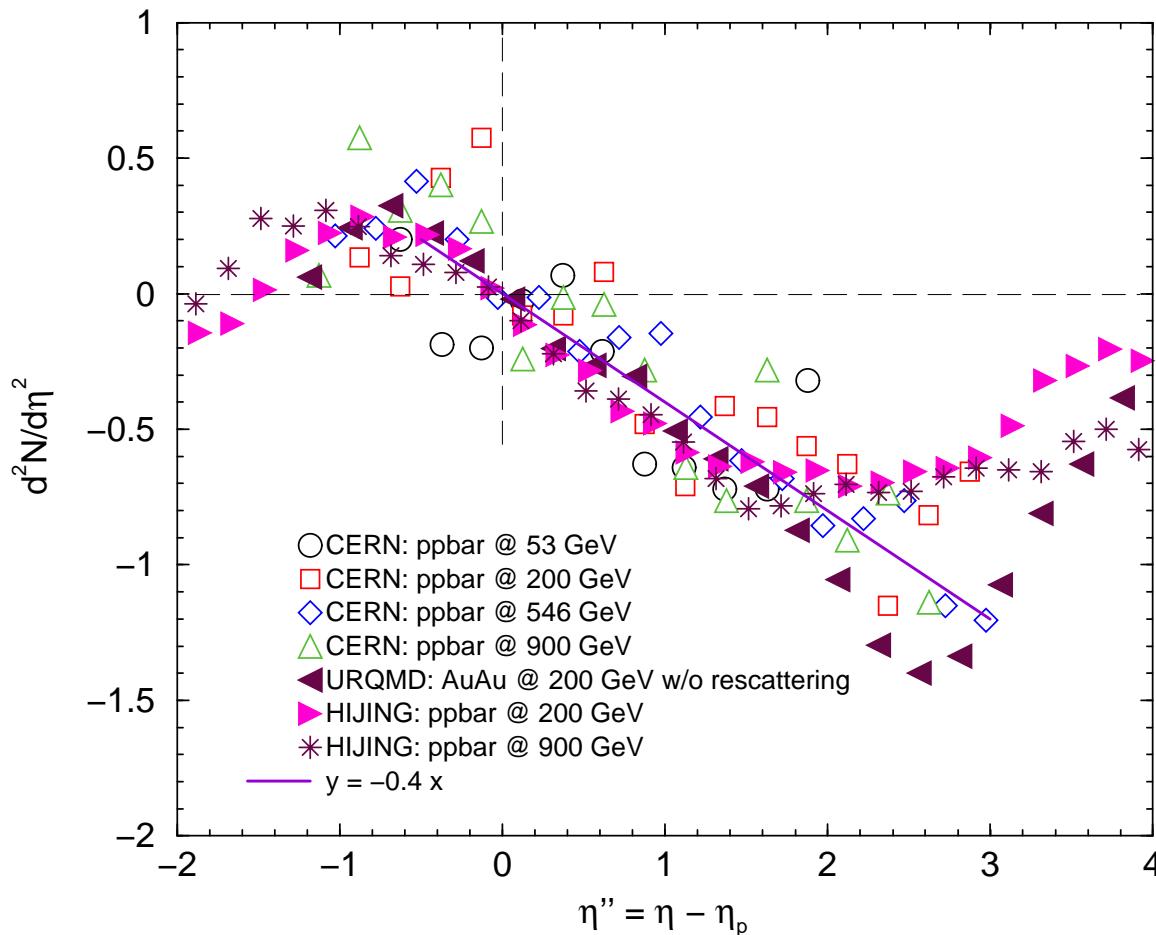
This talk is not really about  
limiting fragmentation!

# What does the data actually say?



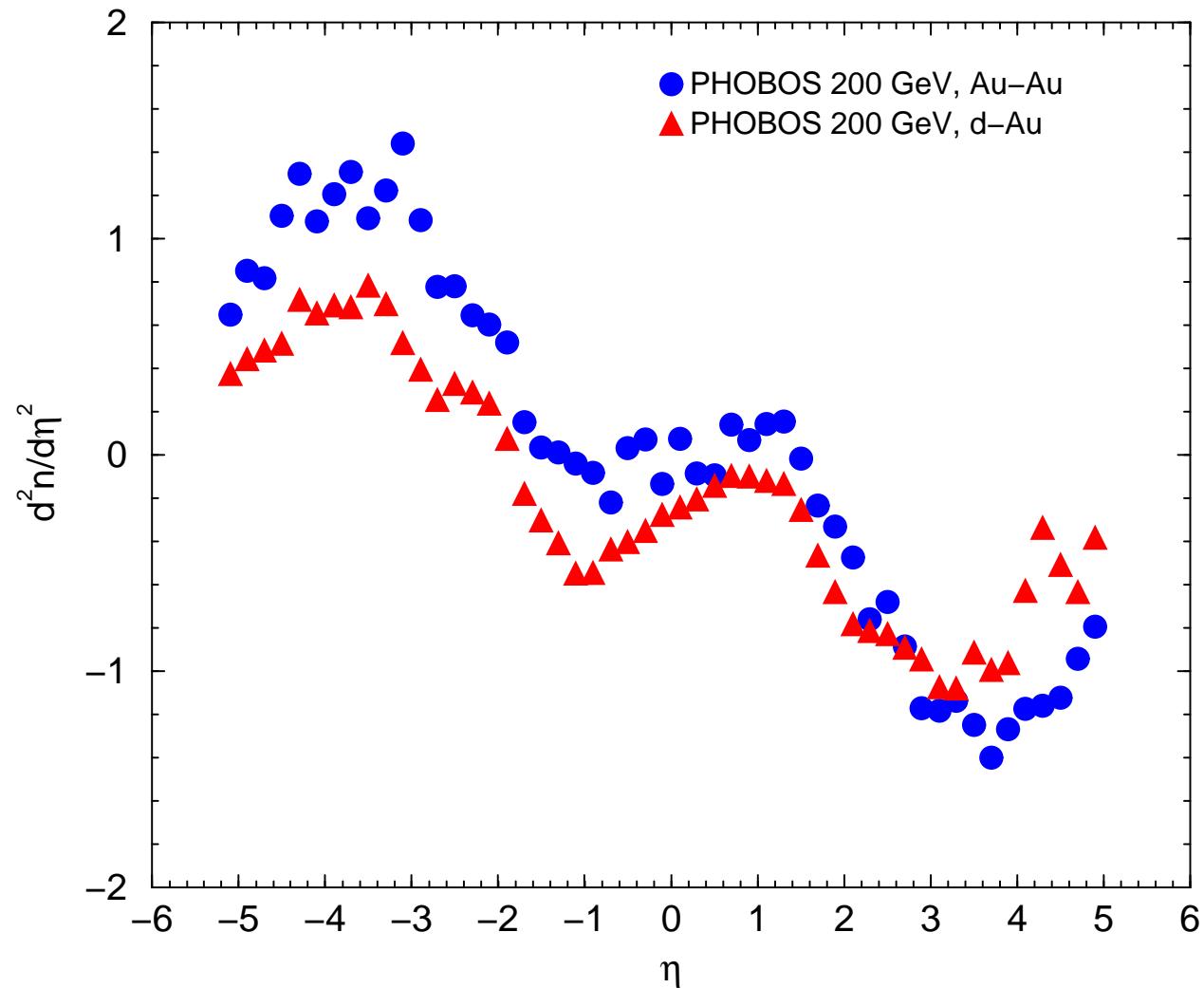
- Transition region also shows ‘universal behavior’

# What does the data actually say?



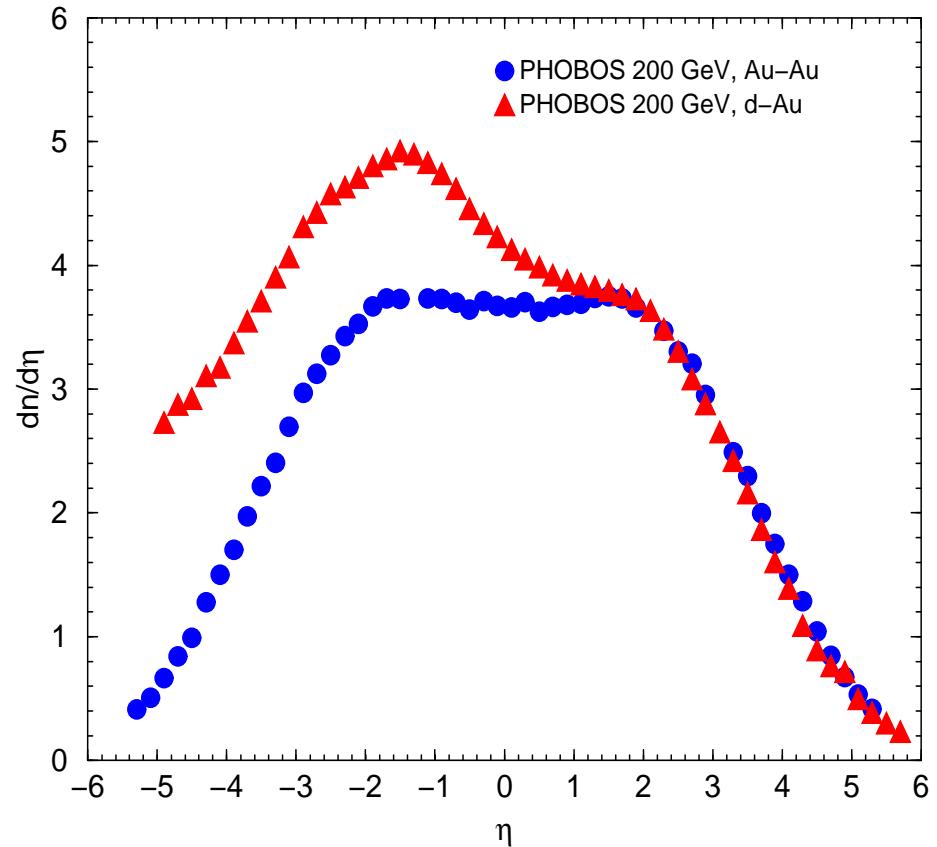
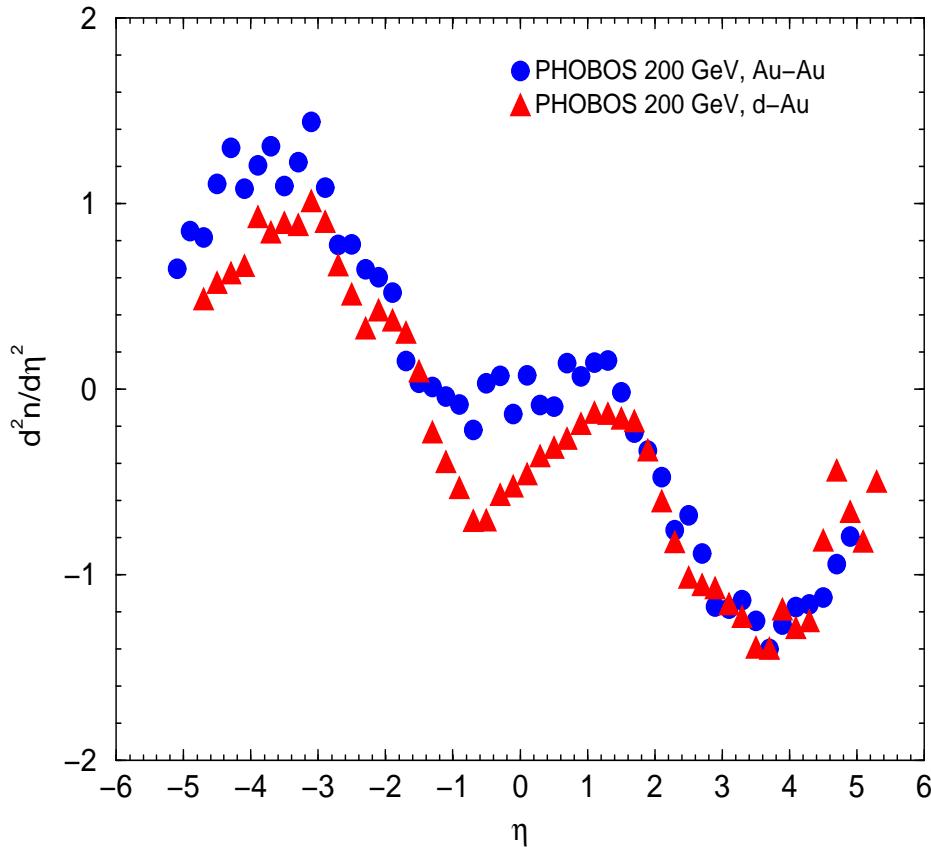
- Same trend even in  $p\bar{p}$
- Slope is a bit shallower

# What does the data actually say? – dAu



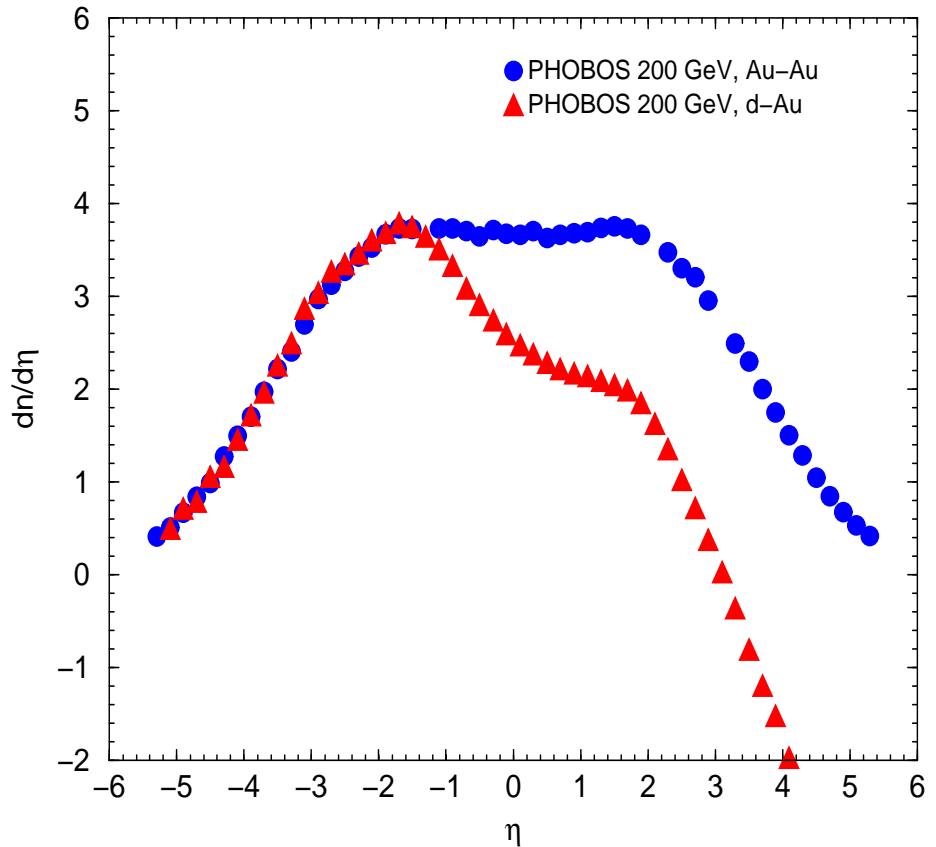
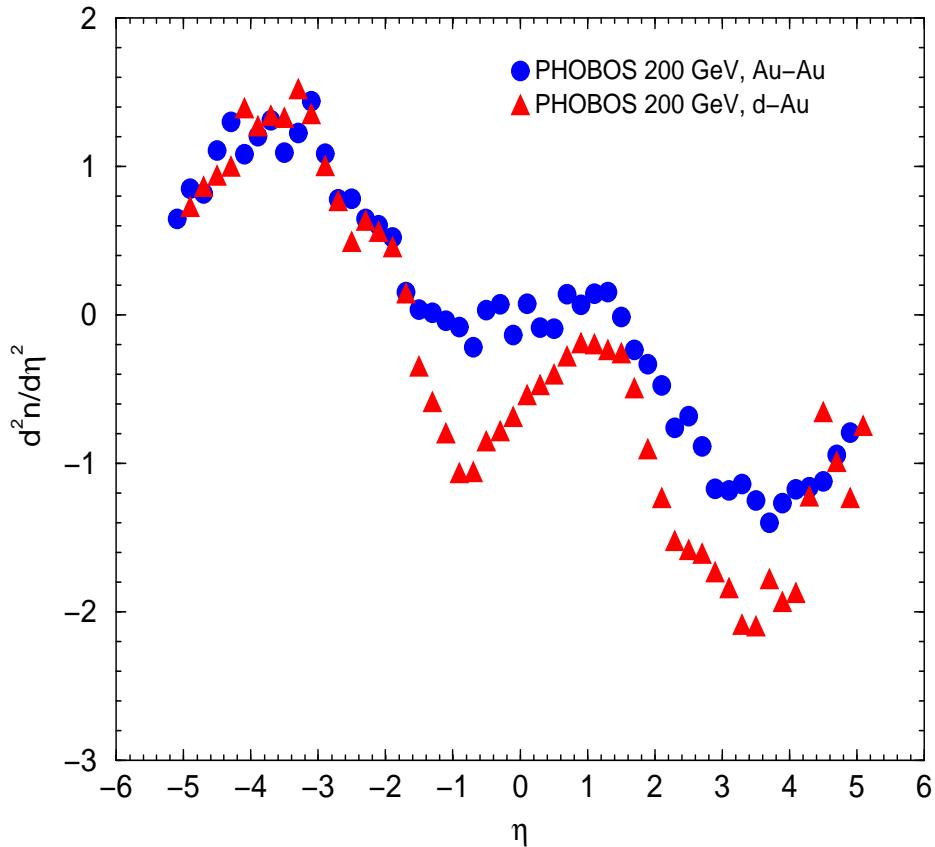
- Almost matches up?

# What does the data actually say? – d side

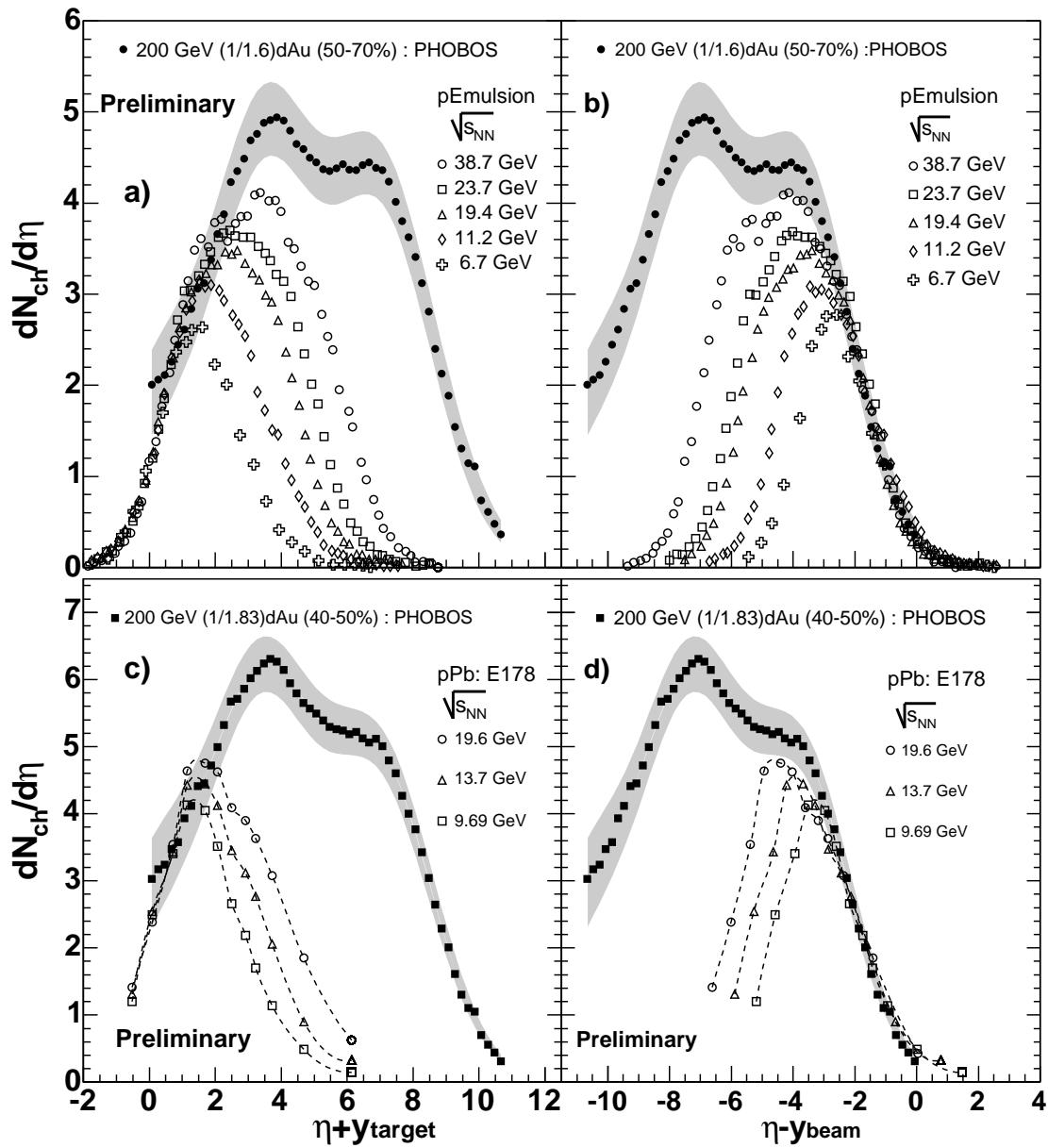


- Vertical scaling:  $\times 1.3$
- Horizontal shifting:  $+ 0.4$  (2 experimental bins)

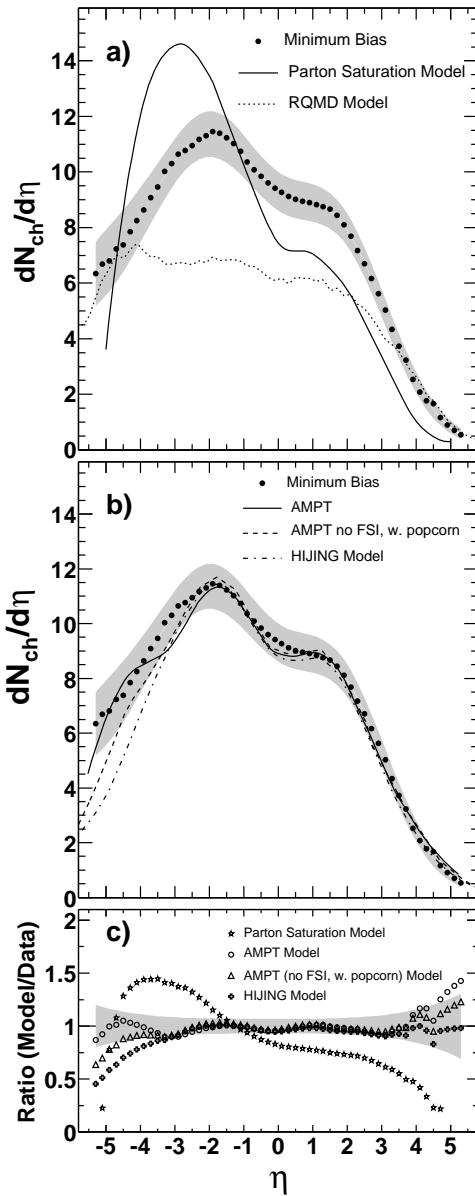
# What does the data actually say? – Au side



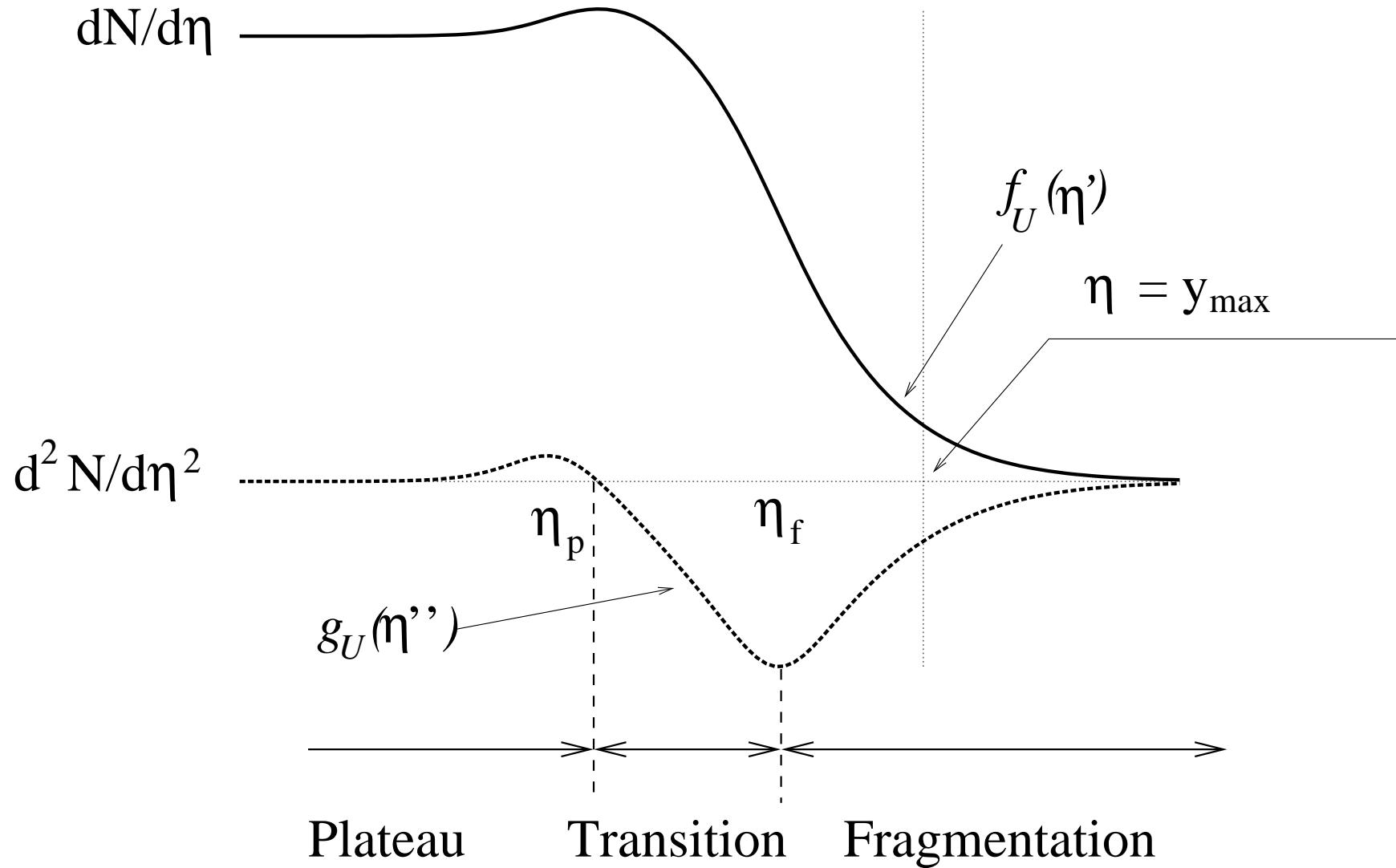
- Vertical scaling:  $\times 1.3 \times 1.5$
- Horizontal shifting:  $+ 0.2$  (1 experimental bin)



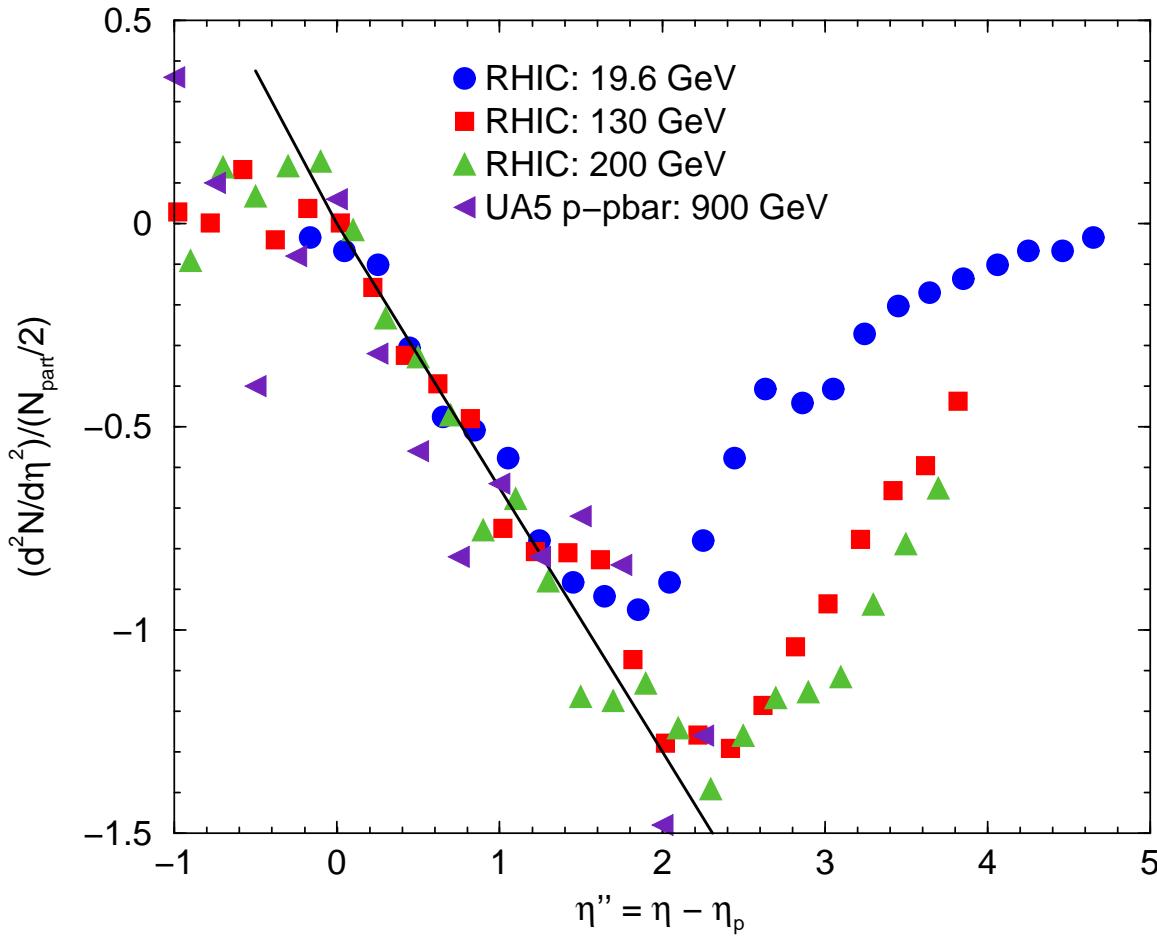
Rachid Nouicer  
nucl-ex/0403033



## What determines $dn/d\eta$ ?



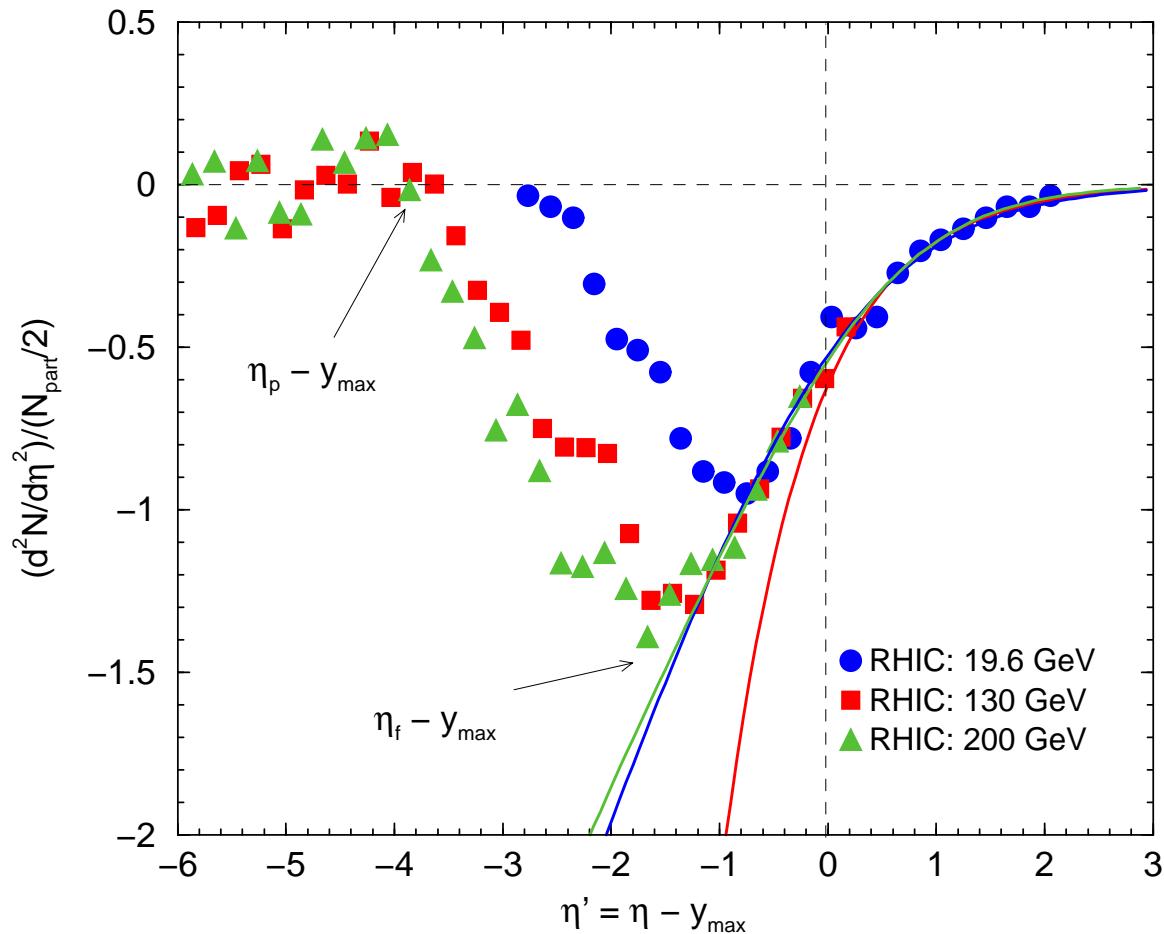
# The universal transition curve



$$g_U(\eta'') = -K\eta''$$

$$K \approx 0.65$$

# The universal fragmentation curve

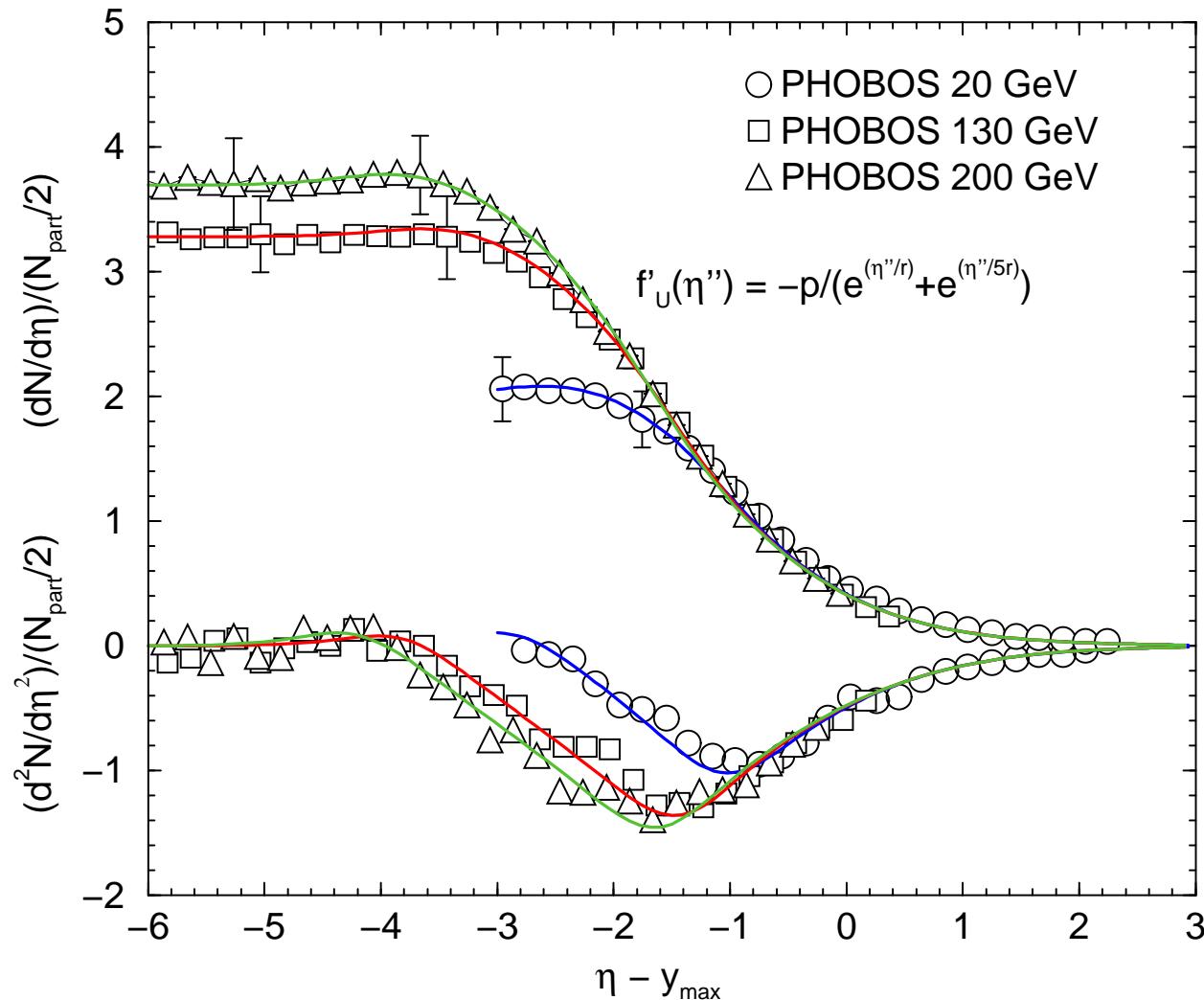


$$\frac{df_U}{d\eta'} = -\frac{p}{e^{\eta'/r} + e^{5\eta'/r}}$$

$$1/r \approx 0.3 \quad p \approx 1$$

$$dn/d\eta$$

Combining  $g(\eta'')$  and  $f_U(\eta')$  with smeared  $\theta$  functions



- $\eta_p$ : Fit to the Data

$$\eta_p \approx y_{\max} - 0.60 \ln y_{\max} - 0.73 y_{\max}^{0.91}$$

$$\eta_p \approx y_{\max} - 0.33 \ln y_{\max} - 0.96 y_{\max}^{0.75}$$

- $\eta_f$ : Solve  $g_U(\eta_f - \eta_p) = f'_U(-y_{\max} + \eta_f)$

$$\eta_f = y_{\max} + O(\ln y_{\max})$$

## Upper bounds in the large $y_{\max}$ limit

$$\left( \frac{dn}{d\eta} \right)_0 \approx \frac{1}{2}(\eta_f - \eta_p)^2 < \ln^2(\sqrt{s}/m_N)$$

$$n_{\text{total}} \approx \frac{K}{3}(\eta_f - \eta_p)^2(2\eta_f + \eta_p) < \ln^3(\sqrt{s}/m_N)$$

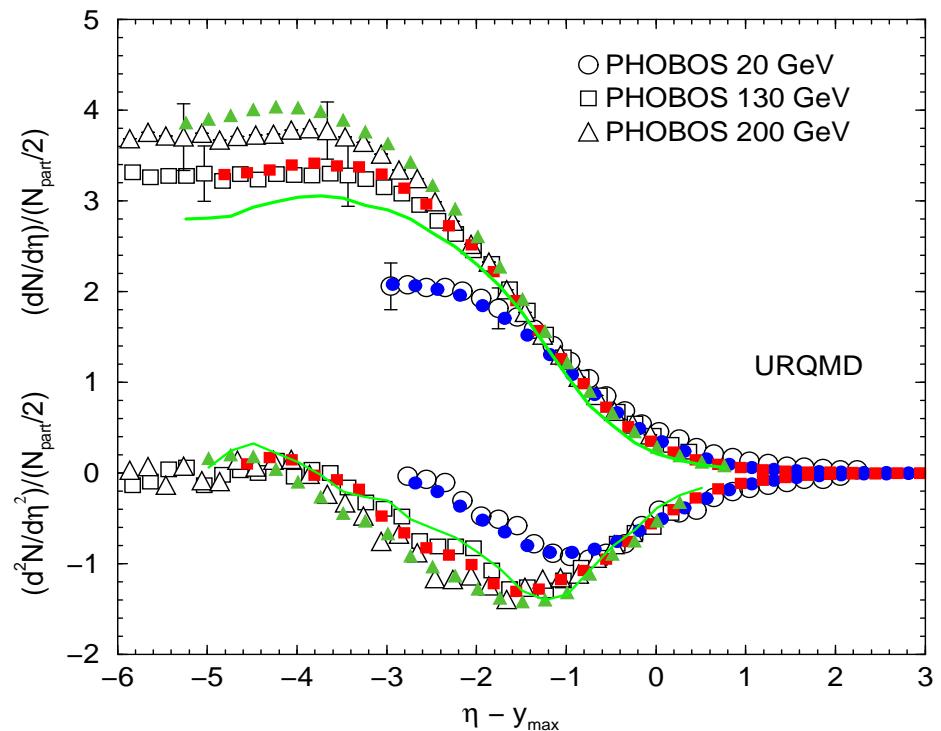
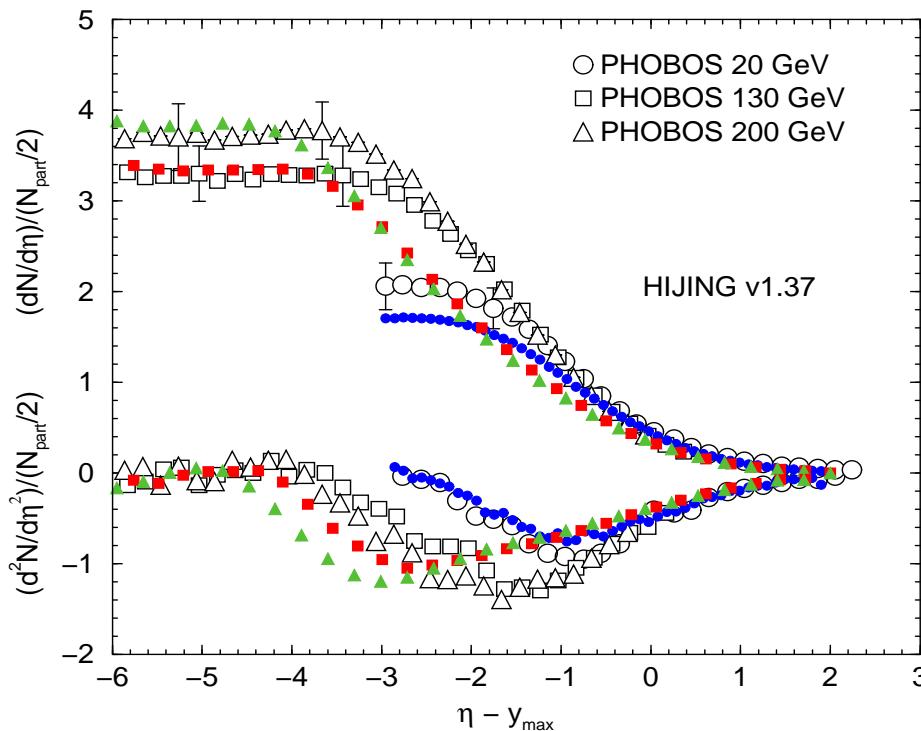
- As  $y_{\max} \rightarrow \infty$ , it is the **transition curve** that determines the plateau height and total multiplicity.

# Physics - Fragmentation Region

- Limiting fragmentation: Feynman scaling

$$\lim_{\sqrt{s} \rightarrow \infty} E_p \frac{dn_{hh}}{d^3 p} = \lim_{\sqrt{s} \rightarrow \infty} \frac{dn_{hh}}{dy d^2 p_T} = f(x_L, p_T)$$

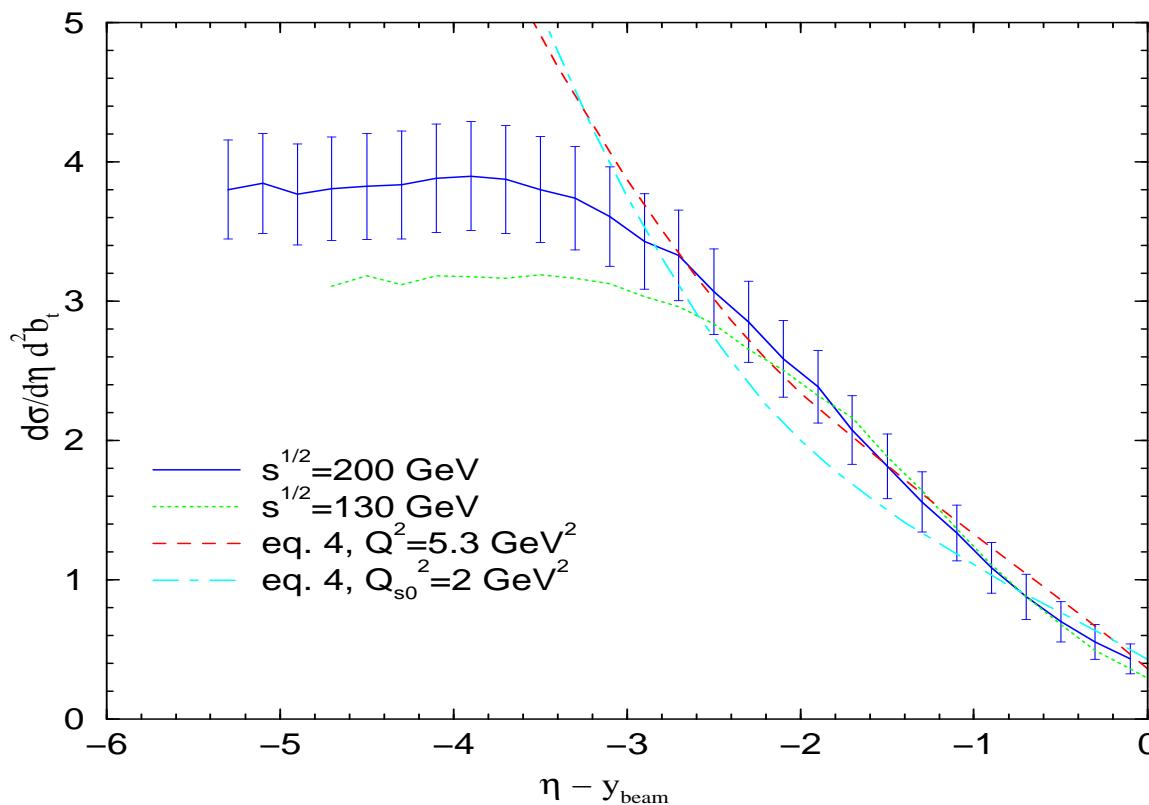
- Models based on PDF + Fragmentation should work



## Physics - Frag. Region

- A model based on CGC also works reasonably well (Jamal Jalilian-Marian)

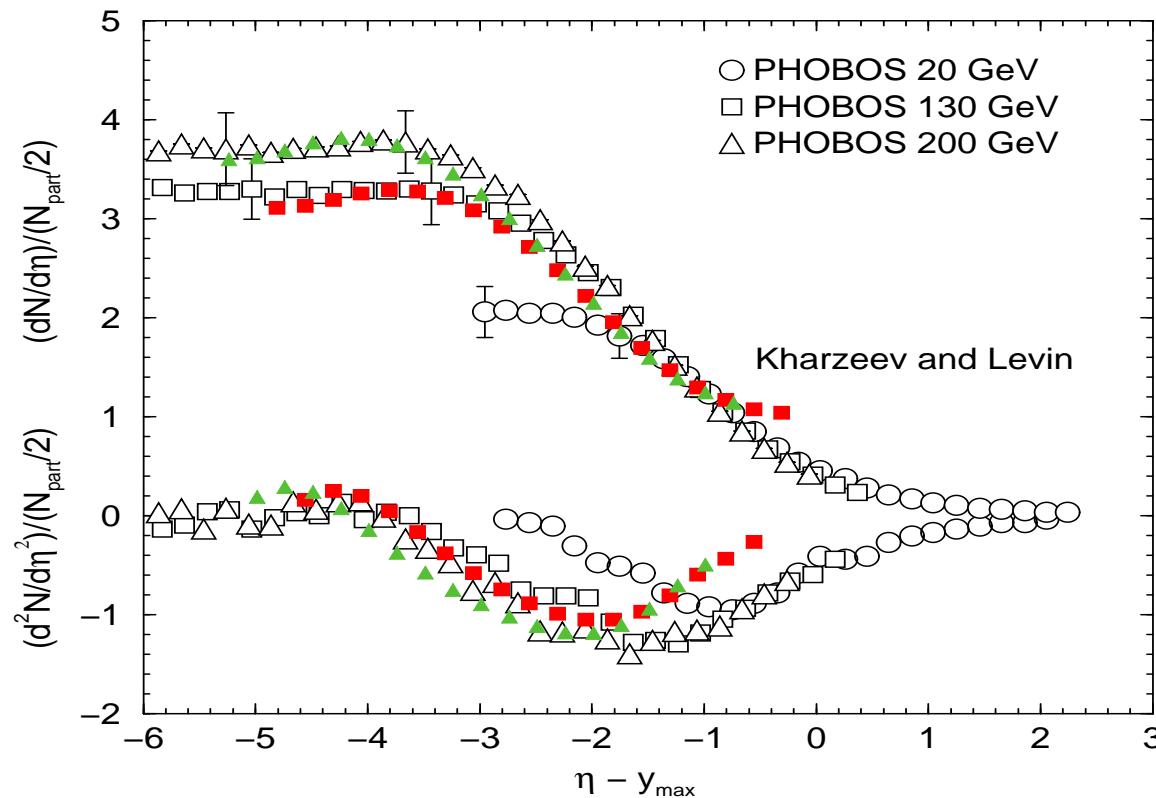
$$\frac{d\sigma^A}{d\eta d^2b} \sim [x_q f_{q/A}(x_q) + x_g G_A(x_g)]$$



## Physics - Frag. Region

- Kharzeev-Levin-McLerran-Nardi (KLMN) doesn't work so well in this region, but neither it is supposed to.

$$\frac{dN}{dy} \propto N_{\text{part}} \left( \frac{s}{s_0} \right)^{\lambda/2} e^{-\lambda|y|} \left[ \ln \left( \frac{Q_s^2}{\Lambda^2} \right) - \lambda|y| \right] \left[ 1 + \lambda|y| \left( 1 - \frac{Q_s}{\sqrt{s}} e^{(1+\lambda/2)|y|} \right)^4 \right]$$

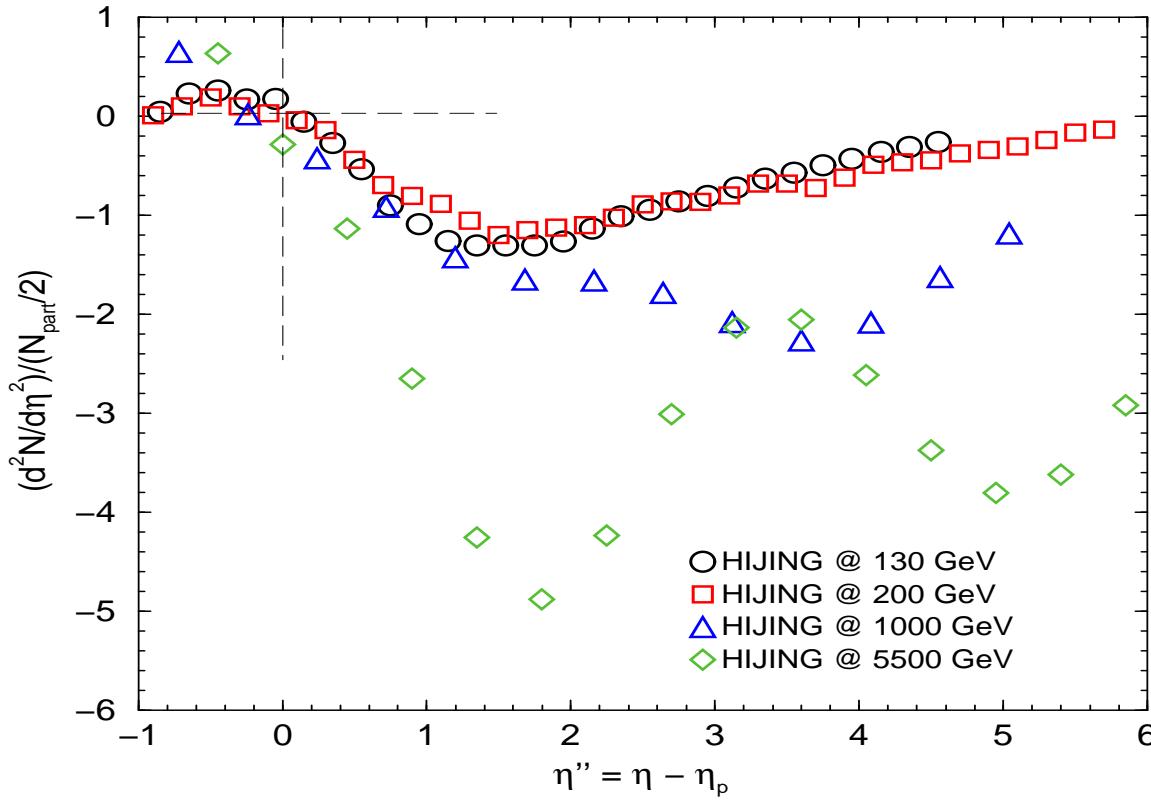


## Physics - Transition Region

The story so far ...

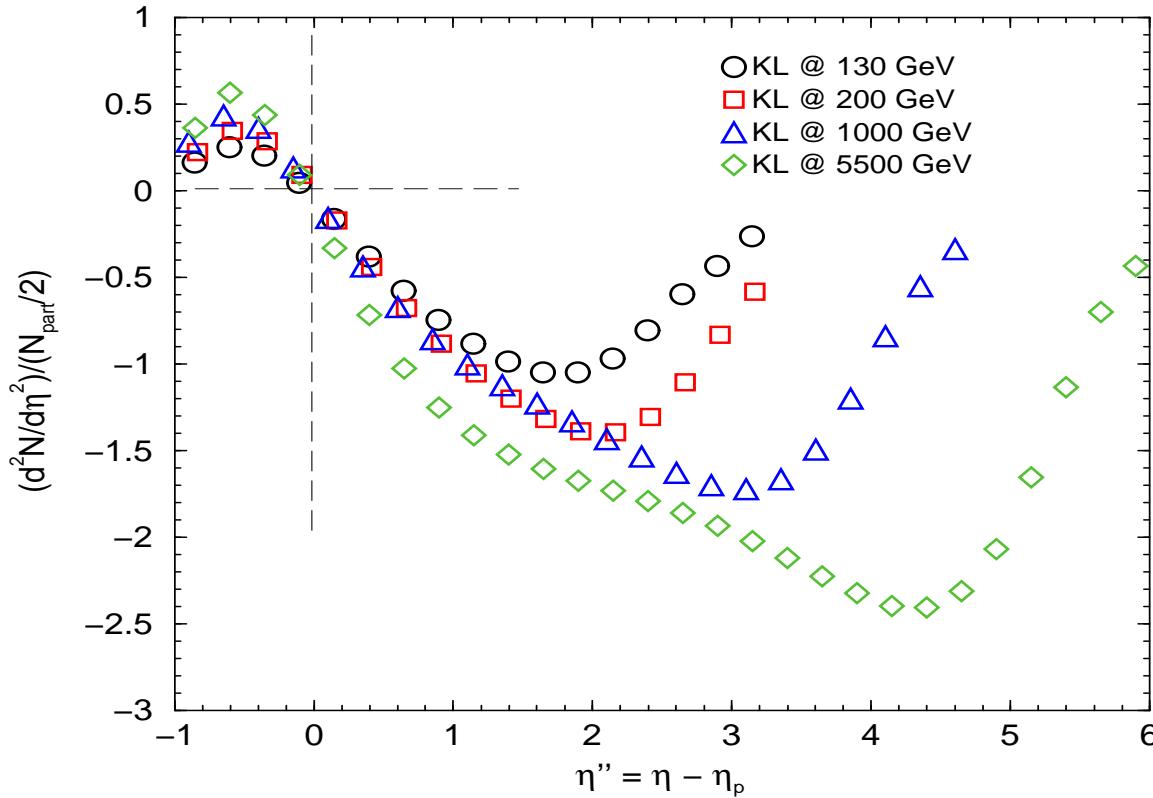
- Must be an **initial** state effect.
  - \* Independent of the colliding energy ( $20\text{GeV} - 200\text{GeV}$ )
  - \* **Not** a collective phenomenon –  $d+\text{Au}$ ,  $\text{Au}+\text{Au}$  has the same feature
  - \* Ideal place to check initial state models (CGC, PYTHIA based, etc)
- **Not** a place to look for **QGP** signal – Longitudinal dynamics of the central region (QGP) decouples from the rest ( $p_T$  is another story)

# HIJING up to LHC



- PYTHIA + Nuclear Effects + Fragmentation + Minijets
- Fragmentation region dominates
- Minijet production introduces humps

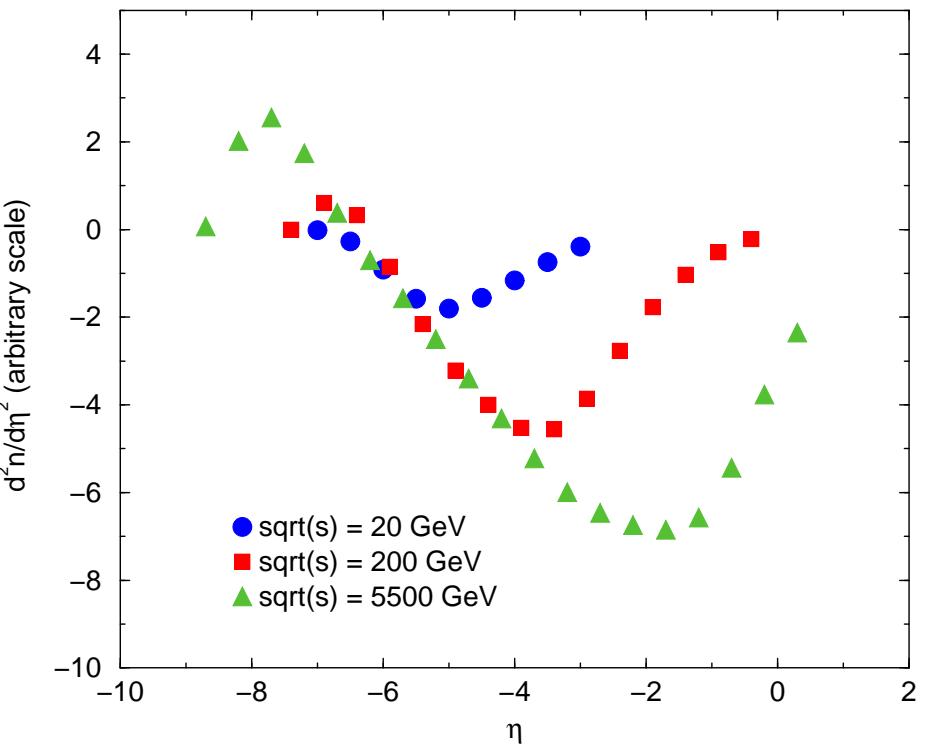
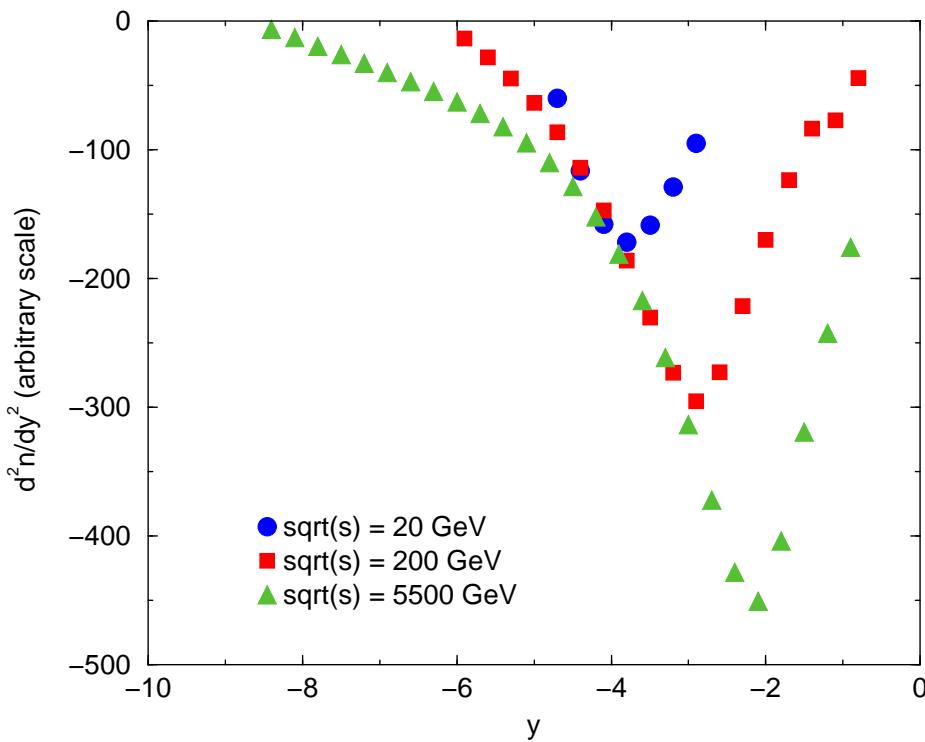
## Kharzeev and Levin up to LHC



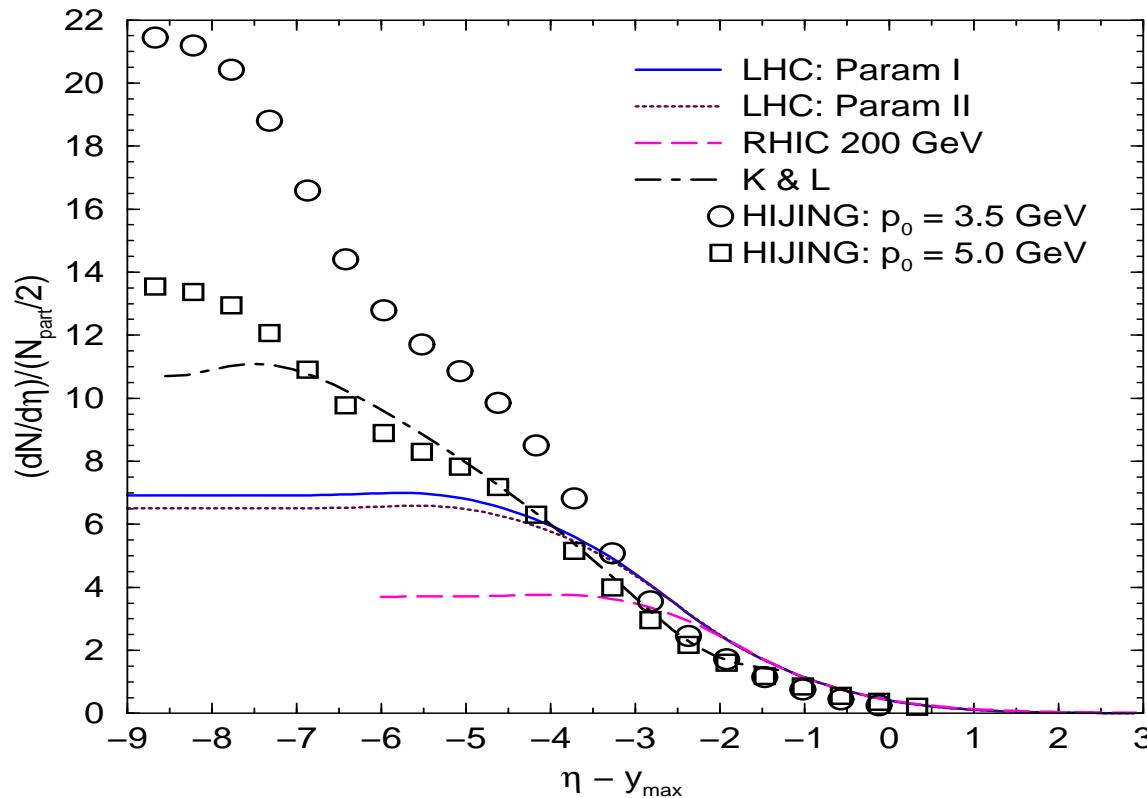
- CGC initial states + gluon production
- Not supposed to work for high  $\eta$  – no valence quarks
- No plateau!

# Hirano and Nara up to LHC

- CGC: Initial condition for Hydro
- Numerical solution of the gluon distribution functions
  - Left:  $dn/dy$  for initial gluons **before** hydro
  - Right:  $dn/d\eta$  for final particles **after** hydro



# LHC predictions



	$y_{\text{max}} - \eta_p$	$(dn/d\eta)_0$	$n_{\text{total}}$
Model I	5.8	6.9	87
Model II	5.6	6.5	83
K & L	-	10.7	110
HIJING w/ $p_0 = 3.5 \text{ GeV}/c$	-	21.4	160
HIJING w/ $p_0 = 7.0 \text{ GeV}/c$	-	11.6	100

## What have we learned?

- Important to look at  $\frac{d^2n}{d\eta^2}$ 
  - \* Limiting fragmentation region up to about 50 % of the height  
not 85 – 90 %
  - \* Existence of 2 universal curves in pseudo-rapidity spectrum
- Universal curves common to  $Au + Au$  and  $d + Au \Rightarrow$ Initial state effect
  - \* Limiting frag: Needs valence quarks
  - \* Transition region: Pointing to CGC? (What about  $p\bar{p}$ ?)

- $\left(\frac{dn}{d\eta}\right)_0$  and  $n_{\text{tot}}$  determined by the transition region universal curve. Current data suggests

$$\left(\frac{dn}{d\eta}\right)_0 < \ln^2 \sqrt{s}$$

$$n_{\text{tot}} < \ln^3 \sqrt{s}$$

## Need to understand

- What determines  $g_U$ ? Analytic understanding possible?
- $d + Au$  puzzling
  - \* Both sides? Is that understandable within KLMN?
  - \* What's that constant component in the Au side?
- Plateau?
  - \* What determines the plateau size?
  - \* Why should having a plateau reduce  $n_{\text{tot}}$ ?
  - \* Is there even a plateau or is it just an artifact of  $y \rightarrow \eta$  conversion?
  - \* Where is the boost-invariant QGP?

